

Introduction to Automated Text Analysis

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Lecture materials:

bit.ly/POIR599

Today

1. Solutions for last week's challenge
2. Reminder: project summary due next Monday
 - ▶ Two-page detailed summary of project
 - ▶ Submit via Blackboard
 - ▶ Email to your peer (see next slide)
 - ▶ Feedback: 2-3 paragraphs with your reaction
 - ▶ Feedback due by October 9th
3. Other announcements:
 - ▶ No class on November 21st
 - ▶ Office hours back at regular time tomorrow
4. Supervised learning
5. Unicode issues

Supervised Machine Learning.

Applications to text classification

Supervised machine learning

Goal: classify documents into pre existing categories.
e.g. authors of documents, sentiment of tweets, ideological position of parties based on manifestos, tone of movie reviews...

What we need:

- ▶ Hand-coded dataset (labeled), to be split into:
 - ▶ Training set : used to train the classifier
 - ▶ Validation/Test set: used to validate the classifier
- ▶ Method to extrapolate from hand coding to unlabeled documents (classifier):
 - ▶ SVM, Naive Bayes, regularized regression, BART, ensemble methods...
- ▶ Approach to validate classifier: cross-validation
- ▶ Performance metric to choose best classifier and avoid overfitting: confusion matrix, AUC, accuracy, precision, recall...

Performance metrics

Confusion matrix:

	Actual label	
Classification (algorithm)	Negative	Positive
Negative	True negative	False negative
Positive	False positive	True positive

$$\text{Accuracy} = \frac{\text{TrueNeg} + \text{TruePos}}{\text{TrueNeg} + \text{TruePos} + \text{FalseNeg} + \text{FalsePos}}$$

$$\text{Precision}_{\text{positive}} = \frac{\text{TruePos}}{\text{TruePos} + \text{FalsePos}}$$

$$\text{Recall}_{\text{positive}} = \frac{\text{TruePos}}{\text{TruePos} + \text{FalseNeg}}$$

Performance metrics: an example

Confusion matrix:

Classification (algorithm)	Actual label	
	Negative	Positive
Negative	800	100
Positive	50	50

$$\text{Accuracy} = \frac{800 + 50}{700 + 50 + 100 + 50} = 0.85$$

$$\text{Precision}_{\text{positive}} = \frac{50}{50 + 50} = 0.50$$

$$\text{Recall}_{\text{positive}} = \frac{50}{50 + 100} = 0.33$$

Performance metrics: an example

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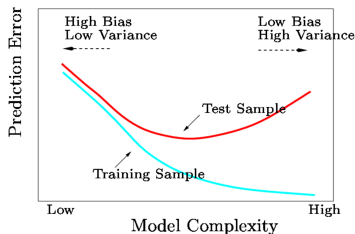
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Measuring performance

- ▶ Classifier is trained to **maximize in-sample performance**
- ▶ But generally we want to apply method to **new data**
- ▶ Danger: **overfitting**



▶ Solutions?

- ▶ Split dataset into training and test set
- ▶ Training dataset, random sample of entire dataset
- ▶ Cross-validation

- ▶ Model is too complex, describes noise rather than signal (Bias-Variance trade-off)
- ▶ Focus on features that perform well in labeled data but may not generalize (e.g. “inflation” in 1980s)
- ▶ In-sample performance better than **out-of-sample performance**

Cross-validation

Intuition:

- ▶ Create K training and test sets (“folds”) within training set.
- ▶ For each k in K, run classifier and estimate performance in test set within fold.



Types of classifiers

General thoughts:

- ▶ It's just like regression!
- ▶ Trade-off between accuracy and interpretability
- ▶ Parameters need to be cross-validated

Frequently used classifiers:

- ▶ Regularized regression
- ▶ SVM
- ▶ Tree-based methods
- ▶ Ensemble methods

Regularized regression

Suppose we have N documents, with each document i having label $y_i \in \{-1, 1\} \rightsquigarrow \{\text{liberal, conservative}\}$

We represent each document i is $\mathbf{x}_i = (x_{i1}, x_{i2}, \dots, x_{iJ})$.

$$\begin{aligned} f(\boldsymbol{\beta}, \mathbf{X}, \mathbf{Y}) &= \sum_{i=1}^N (y_i - \boldsymbol{\beta}' \mathbf{x}_i)^2 \\ \hat{\boldsymbol{\beta}} &= \arg \min_{\boldsymbol{\beta}} \left\{ \sum_{i=1}^N (y_i - \boldsymbol{\beta}' \mathbf{x}_i)^2 \right\} \\ &= (\mathbf{X}' \mathbf{X})^{-1} \mathbf{X}' \mathbf{Y} \end{aligned}$$

Problem:

- J will likely be large (perhaps $J > N$)
- There many correlated variables

Source: Grimmer, 2014, "Text as Data" course week 15

Regularized regression

Penalty for model complexity

$$f(\boldsymbol{\beta}, \mathbf{X}, \mathbf{Y}) = \sum_{i=1}^N \left(y_i - \beta_0 + \sum_{j=1}^J \beta_j x_{ij} \right)^2 + \underbrace{\lambda \sum_{j=1}^J \beta_j^2}_{\text{Penalty}}$$

where:

- $\beta_0 \rightsquigarrow$ intercept
- $\lambda \rightsquigarrow$ penalty parameter

Source: Grimmer, 2014, “Text as Data” course week 15

Regularized regression

Why the penalty (shrinkage)?

- ▶ Reduces the variance
- ▶ Identifies the model if $J > N$
- ▶ Some coefficients become zero (feature selection)

The penalty can take different forms:

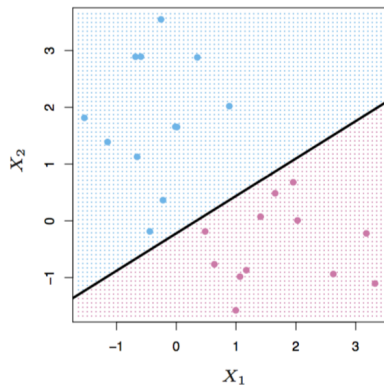
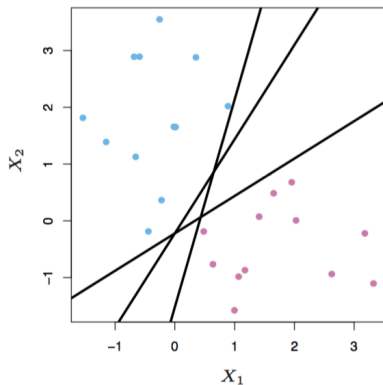
- ▶ **Ridge regression:** $\lambda \sum_{j=1}^J \beta_j^2$ with $\lambda > 0$; and when $\lambda = 0$ becomes OLS
- ▶ **Lasso** $\lambda \sum_{j=1}^J |\beta_j|$ where some coefficients become zero.
- ▶ **Elastic Net:** $\lambda_1 \sum_{j=1}^J \beta_j^2 + \lambda_2 \sum_{j=1}^J |\beta_j|$ (best of both worlds?)

How to find best value of λ ? Cross-validation.

Evaluation: regularized regression is easy to interpret, but often outperformed by more complex methods.

SVM

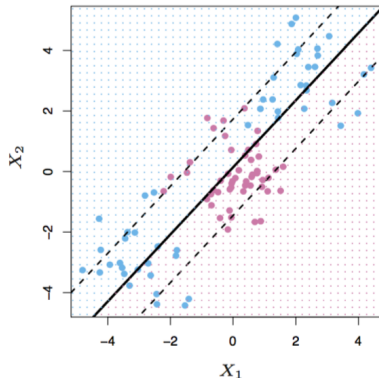
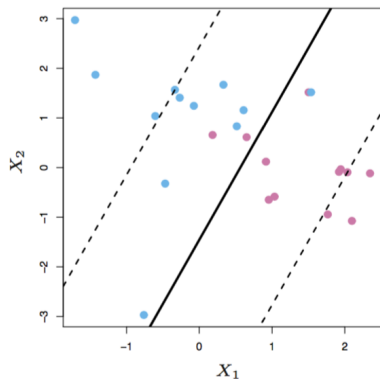
Intuition: finding best line that separates observations of different classes.



Harder to visualize in more than two dimensions (**hyperplanes**)

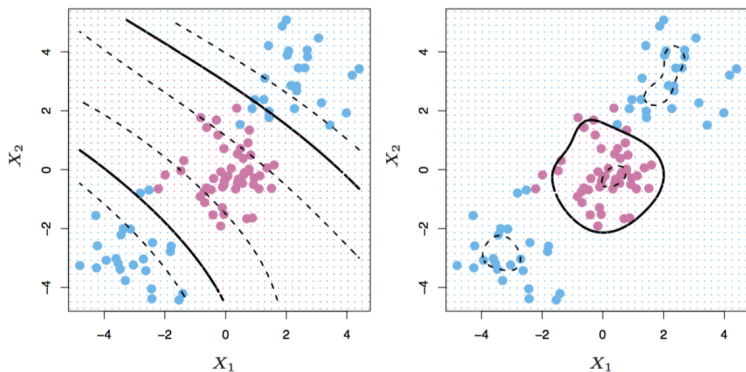
Support Vector Machines

With no perfect separation, goal is to **minimize sum of errors**, conditioning on a **tuning parameter C** that indicates tolerance to errors (controls bias-variance trade-off)



SVM

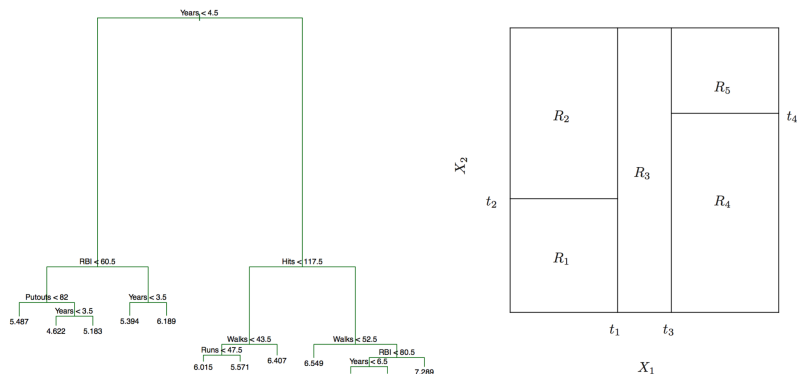
In previous examples, vectors were linear; but we can try different **kernels** (polynomial, radial):



And of course we can have multiple vectors within same classifier.

Tree-based methods

Intuition: partition up dataset based on values of features



Different models answer questions differently:

- ▶ Where to split? And along what features?
- ▶ What should be the predicted value for each branch?

Ensemble methods

ENSEMBLE



Ensemble methods

Process:

- ▶ Fit multiple classifiers, different types
- ▶ Test how well they perform in test set
- ▶ For new observations, produce prediction based on prediction of individual classifiers
- ▶ How to aggregate predictions?
 - ▶ Pick best classifier
 - ▶ Average of predicted probabilities
 - ▶ Weighted average (weights proportional to classification error)